X-ray powder diffraction of high-absorption materials at the XRD1 beamline off the best conditions: Application to $(Gd, Nd)_5Si_4$ compounds

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(Received 18 February 2016; accepted 23 October 2016)

Representative compounds of the new family of magnetic materials $Gd_{5-x}Nd_xSi_4$ were analyzed by X-ray diffraction at the XRD1 beamline at Laboratório Nacional de Luz Síncrotron. To reduce X-ray absorption, thin layers of the powder samples were mounted outside the capillaries and measured in Debye–Scherrer geometry as usual. The XRD analyses and the magnetometry results indicate that the behavior of the magnetic transition temperature as a function of Nd content may be directly related to the average of the four smallest interatomic distances between different rare earth sites of the majority phase of each compound. The quality and consistency of the results show that the XRD1 beamline is able to perform satisfactory XRD experiments on high-absorption materials even off the best conditions. © 2016 International Centre for Diffraction Data. [doi:10.1017/S0885715616000646]

Key words: X-ray powder diffraction, synchrotron, rare-earths, compounds

I. INTRODUCTION

The Laboratório Nacional de Luz Síncrotron (LNLS), also known as the Brazilian Synchrotron Light Laboratory, was the first synchrotron facility in the southern hemisphere and is the only one in Latin America. It is a second-generation synchrotron source, which operates with the energy of 1.37 GeV. One of the beamlines dedicated to X-ray diffraction is XRD1, which is installed on D12B bending magnet (1.67 T) and operates in the 5.5–14 keV (2.25–0.89 Å) range. Recently, the XRD1 beamline was upgraded (Canova *et al.*, 2014) and its commissioning was entirely performed.

XRD1 beamline has two end-stations since 2010. The second end-station consists of a facility built around an advanced thermo-mechanical simulator, the Gleeble[®]Synchrotron system, which allows the material of interest to be submitted to a wide range of thermo-mechanical conditions (XTMS Experimental Station, 2015). The first end-station was built in 1997. With the upgrade process, the old diffractometer was exchanged by the 3-circle Heavy Duty diffractometer from Newport[®] (Tang *et al.*, 2007; Canova *et al.*, 2014). Furthermore, the installation of the MYTHEN 24K system, from Dectris[®], and a robotic arm sample changer allowed relatively fast X-ray powder diffraction measurements. The measurement times vary typically between 30 and 400 s, depending on the sample and the investigation aims.

Initially, the XRD1 first end-station was optimized for XRD measurements of low-absorption materials in powder form, using glass capillaries in Debye–Scherrer geometry. The typical diameters of the capillaries vary between 0.3 and 1.0 mm. However, even 0.3-mm-diameter capillaries are too large for high-absorption materials, because of X-ray absorption and the limitation in energy and photon flux on

XRD1 beamline (Canova *et al.*, 2014). To overcome this issue, we have been using the simple methodology of fixing the samples powder outside the capillaries (see, for instance, Pecharsky and Zavalij, 2005).

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In the present work, we show the ability of XRD1 beamline to perform satisfactory X-ray powder diffraction off the best condition of the beamline and samples preparation. Then, we have chosen to analyze high-absorption materials during the beamline commissioning. The powder of the twophase GdNd₄Si₄ compound was studied by XRD inside the 0.3-mm-diameter capillary and outside capillaries with different diameters. Furthermore, representative compounds of the new family of magnetic materials $Gd_{5-x}Nd_xSi_4$ were analyzed by XRD and magnetometry. We have observed a correlation between the magnetic transition temperatures and the average of the four smallest interatomic distances between different rare earth sites in the majority phases.

II. EXPERIMENTAL PROCEDURES

Polycrystalline samples of compounds with nominal composition corresponding to $Gd_{5-x}Nd_xSi_4$ (x = 1, 2, 3, 4, and 5) were prepared by arc-melting the elements in high purity argon atmosphere on a water-cooled copper hearth. The purity of the starting elements was 99.9 wt.% for Gd and Nd and 99.99 + wt.% for Si. The samples were annealed at 1050 °C for 10 days.

For XRD measurements, each annealed sample was manually ground in an agate mortar. The obtained powder was not sieved purposely. A 0.3-mm-diameter capillary was filled, as usual, with the powder of $GdNd_4Si_4$ compound. The powder was also fixed outside borosilicate glass capillaries with outer diameters of 0.3, 0.5, and 0.7 mm, using a fine layer of a commercial Vaseline. The capillaries have wall thickness of 0.01 mm and were supplied by Capillary Tube Supplies Ltd. We name four experimental settings: *setting I* – powder

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inside 0.3-mm-diameter capillary; setting II - powder outside 0.3-mm-diameter capillary; setting III - powder outside 0.5-mm-diameter capillary; setting IV - powder outside 0.7-mm-diameter capillary. The powder excess is removed using a vibrating device developed in-house. The powders of the other compounds of the series were fixed only outside the 0.7-mm-diameter capillaries. The capillaries are mounted in ferromagnetic stainless steel holders. The capillary holder is fit together with the magnetic tip attached to the 3-circle diffractometer. This magnetic tip is able to rotate, providing the desirable spinning (~300 r.p.m.) of capillaries during the measurements. The X-ray beam size at the sample position is $\sim 2.0 \text{ mm}$ (horizontal) and $\sim 0.7 \text{ mm}$ (vertical). During the measurements, the capillaries rely on the horizontal plane, along the direction perpendicular to the beam, at 760 mm from the detectors.

The XRD patterns were obtained at room temperature using the MYTHEN 24K system, from Dectris[®]. These kind of position-sensitive detectors have been used for a few years in other synchrotron facilities (see, for instance, Bergamaschi et al., 2010; Thompson et al., 2011). Since there is a gap between each detector, a whole diffraction pattern is, in fact, a merging of two diffraction patterns obtained in two different positions 0.5° apart from each other. The step size is fixed at 0.004°. The NIST SRM640d standard Si powder was used to determine the X-ray wavelength with precision. The wavelength used was 1.0328(1) Å. Additional information of the beamline: ULE (ultra-low expansion) Rh-coated glass mirror, which is used to focus/collimate the white beam vertically, as well as filter the high-energy photons; double-crystal Si (111) monochromator; energy resolution $\Delta E/E = 3 \times 10^{-4}$ at 8 keV (1.55 Å).

The magnetic transition temperatures were obtained from the magnetization measured as a function of the temperature using the commercial MPMS (Magnetic Property Measurement System) magnetometer, from Quantum Design[®]. The magnetic measurements were performed on the annealed pieces of the studied compounds. The values of the transition temperatures were determined from the derivative minimum in the magnetization vs. temperature curves.

III. RESULTS AND DISCUSSION

The XRD patterns were analyzed using TOPAS software (Bruker: TOPAS Software, 2015). Structural analysis using the Rietveld refinement method (Rietveld, 1969) achieved satisfactory values, refining zero error, and 6 terms of Chebychev background polynomial as general independent parameters; for each crystal structure: one scale factor, lattice parameters (3 for orthorhombic and 2 for tetragonal), TCHZ peak type (the first 4 terms of peak shape), and atomic displacement parameters (depending on atomic sites). The annealed samples are not single-phase. Only for Gd₄NdSi₄ compound, the reflections of the secondary phase were not considered in the refinement because of their very low intensities. Good fits were achieved from Rietveld refinement analysis for all settings (see Figure 1(b), for fit of setting II). For setting II, we have obtained $R_{wp} = 9.19\%$, gof = 3.221; for setting I, we have obtained $R_{wp} = 8.74\%$, gof = 2.465. The intensity mismatch found in a few peaks may be due to some poor grain statistics (reduced number of powder particles and significant size distribution) and to differences in site occupancies. Since these contributions are convoluted (for 0 < x < 5) and we consider they are small, we chose not to refine them.

In Figure 1(a), we show the XRD patterns for the powder of GdNd₄Si₄ compound fixed outside (setting II) and inside (setting I) the 0.3-mm-diameter capillary. Comparing the peak intensities, we observe that the signal/background ratio related to the maximum of the $(2\ 2\ 1)$ reflection of the majority tetragonal phase (space group $P4_12_12$), for instance, is about 6.7 for the powder inside the 0.3-mm-diameter capillary and about 40.9 for the powder outside the same capillary, both measured with the same acquisition time of 360 s. In the inset of Figure 1(a), we can notice that the smallest peaks of the pattern of setting II are barely observed in the pattern of setting I. The differences between the patterns of setting I and setting II show the effects of the high X-ray absorption factor of this material at 12 keV (1.03 Å). For the compounds of the series (Gd, Nd)₅Si₄ measured inside a 0.3-mm-diameter capillary at 12 keV (1.03 Å), the absorption factor $\mu R > 14$.

When we analyze the *e.s.d.* values from the refinements using TOPAS software, we observe that the e.s.d. values from pattern of setting I are always larger than the corresponding values from pattern of setting II, in spite of smaller gof value. This difference is shown in Figure 2, where we present the parameters a and c obtained from Rietveld refinement for measurements in four different settings. It is easy to see that the e.s.d. values are larger for the refinement of the pattern of setting I in comparison with the other settings. Besides, considering the majority tetragonal phase (space group $P4_12_12$), the values of a and c parameters for setting I are different from those obtained for the other settings, and the values of a and c parameters for the settings II, III, and IV are much closer comparing with each other. Then, considering the settings with the powder outside different capillaries, we observe a great reproducibility of the results, which are not dependent on the diameter of the capillaries, at least in the range between 0.3 and 0.7 mm. It is known that the capillary diameter influences the linewidths. Indeed, taking the $(2\ 3\ 1)$ reflection as an example, we observe that the linewidths are 0.041, 0.044, and 0.049° for settings II, III, and IV, respectively. The peaks present asymmetries that contribute to the refinement errors.

The methodology of measuring XRD of the samples powder fixed outside the capillaries was applied to several representative compounds of the series $Gd_{5-x}Nd_xSi_4$ (x = 1, 2, 3, 4, and 5). Analyzing the diffraction patterns, only Gd₄NdSi₄ did not have the secondary phase identified. The other compounds had the majority phase and the secondary phase adjusted, and the secondary phase is always the (Gd, Nd)Si orthorhombic phase (space group Pnma). The majority phase is the (Gd, Nd)₅Si₄ orthorhombic phase (space group *Pnma*) for the compounds with x = 1 and 2. In the case of the compounds with x = 3, 4, and 5, the majority phase is the (Gd, Nd)₅Si₄ tetragonal phase (space group $P4_12_12$). For Nd_5Si_4 compound (x = 5), the lattice parameters of the tetragonal phase are a = 7.8637(1) Å, c = 14.8703(2) Å and V =919.55(3) $Å^3$. For the same compound and phase, Yang et al. (2002) reported the lattice parameters a = 7.8694(0) Å, c = 14.8077(1) Å and V = 917.00 Å³, while Roger *et al.* (2006) reported the lattice parameters a = 7.8730(1) Å, c =14.8389(2) Å and V = 919.78 Å³. The relative amount of the phases are listed in Table I. The respective errors are the e.s.d. values from the refinements using TOPAS. The lattice parameters of the compounds are listed in Table II.



Figure 1. (Color online) (a) X-ray diffraction patterns for the powder of $GdNd_4Si_4$ compound fixed outside (thin line) and inside (thick line) the 0.3-mm-diameter capillary. Acquisition time: 360 s. The inset shows a few reflections of the tetragonal phase. The asterisks mark reflections of the secondary phase. (b) Observed and calculated X-ray diffraction intensities for the powder fixed outside the 0.3-mm-diameter capillary.



Figure 2. (Color online) Parameters *a* and *c* of the tetragonal phase in $GdNd_4Si_4$ compound obtained from different experimental settings: *setting I* – powder inside 0.3-mm-diameter capillary; *setting III* – powder outside 0.3-mm-diameter capillary; *setting III* – powder outside 0.5-mm-diameter capillary; *setting IV* – powder outside 0.7-mm-diameter capillary.

Even existing a change in the symmetry in the middle of the composition range of the series $Gd_{5-x}Nd_xSi_4$, the unit cell volume of the majority phase of each compound changes almost linearly as a function of neodymium content [Figure 3(a)]. A similar behavior is observed for the secondary phase. For this quasi-linearity, we assume that the majority phases (and the secondary phase, as a consequence) have the same Nd content of the nominal composition and it does not seem to depend on the secondary phase amounts. When we analyze the magnetic transition temperature $(T_{\rm C})$, it is easy to see that there is a discontinuity in its variation as a function of Nd content (Figure 3), just between the compositions where the majority phase changes from tetragonal (x = 3)to orthorhombic (x = 4). It is worth noting that the rate dT_c/dx is almost the same for the tetragonal and orthorhombic phases: -19 and -20 K/10% at. Nd, respectively. The ratio of the majority orthorhombic phase was obtained including the data for Gd₅Si₄ compound from Pecharsky and Gschneidner (1997).

Considering the average of the four smallest interatomic distances (see Table III) between different rare earth sites of

TABLE I. Structural phase amounts and magnetic transition temperatures of compounds of the series (Gd, Nd)₅Si₄.

	(Gd, Nd) ₅ Si ₄ tetragonal phase space group $P4_12_12$ (%)	(Gd, Nd) ₅ Si ₄ orthorhombic phase space group <i>Pnma</i> (%)	(Gd, Nd)Si orthorhombic phase space group <i>Pnma</i> (%)	Magnetic transition temperature (K)
Nd ₅ Si ₄	91.9(1)	-	8.1(1)	71
GdNd ₄ Si ₄	96.1(1)	_	3.9(1)	108
Gd ₂ Nd ₃ Si ₄	72.9(2)	_	27.1(2)	146
$Gd_3Nd_2Si_4$	_	93.3(2)	6.7(2)	255
Gd ₄ NdSi ₄	-	100	_	297

the majority phase of each compound, hereafter called $4R_i$ - R_j , we can also observe a discontinuity in its variation as a function of Nd content (*x*) in the same *x* range observed for the magnetic transitions. To a better comparison, in Figure 3(b), it is plotted the inverse of $4R_i$ - R_j as a function of *x*, as well as the magnetic transition temperatures. It is easy to see the similarities between $(4R_i$ - R_j)⁻¹ vs. *x* and T_C vs. *x*. Nevertheless, considering only two smallest distances between different rare earth sites, $(4R_i$ - R_j)⁻¹ vs. *x* behavior (not shown) is significantly different from the T_C vs. *x* profile. In fact, a linear behavior is observed in the majority tetragonal

phase, considering the nearest and next-nearest rare earth neighbors, which have the same distances, approximately (see Table III). Nevertheless, the linear behavior is only observed in the majority orthorhombic phase, when considering at least the three smallest interatomic distances between different rare earth sites. This is an indication that the exchange interactions (directly related to the magnetic transitions) in the orthorhombic phase are not governed by the distances among only the nearest and next-nearest rare earth neighbors of other rare earth ions in compounds of the series $Gd_{5-x}Nd_xSi_4$. The influence of further neighbors seems to be

TABLE II. Structural parameters of Gd5-xNdxSi4 compounds obtained from Rietveld refinements.

$\begin{array}{c c c c c c c c c c c c c c c c c c c $	X	5	4	3	2	1
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$\begin{array}{c c c c c c c c c c c c c c c c c c c $	a (Å)	7.8637(1)	7.8411(1)	7.8121(1)	7.5488(1)	7.5154(1)
c $(\dot{\Lambda})$ 14.8703(2) 14.7175(1) 14.5969(2) 7.8163(1) 7.7864(1) Nd1, Gd1	b (Å)	7.8637(1)	7.8411(1)	7.8121(1)	14.8665(2)	14.8044(2)
Ndl, Gdl Wyckoff 4a 4a 4a 8d 8d x 0.1901 0.1901 0.1901 0.261 23 0.25 5 0.25 y 0.1901 0.1901 0.261 23 0.261 23 0.25 5 0.25 z_c 0 0 0 0.01188 0.01188 0.01188 0.01188 B_{ioo} 0.62(2) Ų 1.20(2) Ų 0.76(3) Ų 0.41(3) Ų 0.05573 0.035 73 0.031107 0.311	<i>c</i> (Å)	14.8703(2)	14.7175(1)	14.5969(2)	7.8163(1)	7.7864(1)
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y0.13260.13260.13260.098 420.098 42z0.61920.61920.61920.182 880.182 88Nd3, Gd30.62() Ų1.20(2) Ų0.76(3) Ų0.41(3) Ų0.56(3) ŲWyckoff8b8b8b4c4cx0.98610.98610.98610.311070.31107y0.36670.36670.36670.878 920.878 92z0.20250.20250.20250.181 490.181 49Biso0.62(2) Ų1.20(2) Ų0.76(3) Ų0.41(3) Ų0.56(3) ŲSi10.5290.05290.25070.2507y0.28100.28100.28100.250.250.225y0.80700.80700.37780.37780.3778Biso0.62(2) Ų1.20(2) Ų0.76(3) Ų0.41(3) Ų0.56(3) ŲYy0.32100.28100.28100.2550.250.25y0.28100.28100.37780.37780.3778Biso0.62(2) Ų1.20(2) Ų0.76(3) Ų0.41(3) Ų0.56(3) ŲYy0.32700.33700.32700.250.250.25y0.32700.32700.32700.250.250.25z0.69260.69260.699260.89920.89920.8992Biso0.62(2) Ų1.20(2) Ų0.76(3) Ų0.41(3) Ų0.56(3) ŲYy0.32700.32700.3270	x	0.0142	0.0142	0.0142	0.035 73	0.035 73
z0.61920.61920.61920.182 880.182 88 B_{iso} 0.62(2) Ų1.20(2) Ų0.76(3) Ų0.41(3) Ų0.56(3) ŲNd3, Gd3Wyckoff8b8b8b4c4cx0.98610.98610.98610.311070.31107y0.36670.36670.36670.878 920.878 92z0.20250.20250.20250.181 490.181 49B_{iso}0.62(2) Ų1.20(2) Ų0.76(3) Ų0.41(3) Ų0.56(3) ŲWyckoff8b8b8b8d8d8dx0.05290.05290.25070.25070.2507y0.28100.28100.28100.2780.37780.3778y0.62(2) Ų1.20(2) Ų0.76(3) Ų0.41(3) Ų0.56(3) Ųy0.28260.82100.25100.25070.2507y0.28100.28100.28100.37780.3778y0.32700.32700.32700.32700.2550.25z0.69260.69260.69260.69260.89920.8992y0.32700.32700.32700.250.250.25z0.69260.69260.69260.89920.89920.8992B_{iso}0.62(2) Ų1.20(2) Ų0.76(3) Ų0.41(3) Ų0.56(3) ŲY0.32700.32700.32700.32700.250.25y0.69260.69260.6926 <t< td=""><td>у</td><td>0.1326</td><td>0.1326</td><td>0.1326</td><td>0.098 42</td><td>0.098 42</td></t<>	у	0.1326	0.1326	0.1326	0.098 42	0.098 42
$B_{\rm iso}$ $0.62(2)$ \dot{A}^2 $1.20(2)$ \dot{A}^2 $0.76(3)$ \dot{A}^2 $0.41(3)$ \dot{A}^2 $0.56(3)$ \dot{A}^2 Wyckoff8b8b8b4c4cx 0.9861 0.9861 0.9861 0.31107 0.31107 y 0.3667 0.3667 0.3667 0.87892 0.87892 z 0.2025 0.2025 0.2025 0.18149 0.18149 $B_{\rm iso}$ $0.62(2)$ \dot{A}^2 $0.76(3)$ \dot{A}^2 $0.41(3)$ \dot{A}^2 $0.56(3)$ Si1 $Wyckoff$ 8b8b8b8d8d8dx 0.0529 0.0529 0.0529 0.2507 0.2507 y 0.2810 0.2810 0.2810 0.275 0.257 z 0.8070 0.8070 0.8070 0.3778 0.3778 Biso $0.62(2)$ \dot{A}^2 $1.20(2)$ \dot{A}^2 $0.76(3)$ \dot{A}^2 $0.56(3)$ \dot{A}^2 0.529 0.257 0.257 0.257 0.257 0.257 z 0.8070 0.8070 0.8070 0.3778 0.3778 0.3778 $Siao$ $0.62(2)$ \dot{A}^2 $1.20(2)$ \dot{A}^2 $0.76(3)$ \dot{A}^2 $0.56(3)$ \dot{A}^2 0.2826 0.2826 0.9831 0.9831 0.9831 y 0.3270 0.3270 0.3270 0.25 0.252 z 0.6926 0.6926 0.69926 0.8992 0.8992 B	z	0.6192	0.6192	0.6192	0.182 88	0.182 88
Nd3, Gd3Nd3, Gd3Wyckoff8b8b8b4c4c x 0.98610.98610.98610.311070.31107 y 0.36670.36670.36670.878 920.878 92 z 0.20250.20250.20250.181 490.181 49 B_{iso} 0.62(2) Ų1.20(2) Ų0.76(3) Ų0.41(3) Ų0.56(3) ŲWyckoff8b8b8b8d8d x 0.05290.05290.05290.25070.2507 y 0.28100.28100.28100.250.25 z 0.80700.80700.80700.37780.3778 B_{iso} 0.62(2) Ų1.20(2) Ų0.76(3) Ų0.41(3) Ų0.56(3) Ų y 0.28260.28260.98310.98310.9831 y 0.32700.32700.32700.2550.25 z 0.69260.69260.69260.89920.8992 y 0.32700.32700.32700.250.25 z 0.69260.69260.69260.89920.8992 g_{iso} 0.62(2) Ų1.20(2) Ų0.76(3) Ų0.41(3) Ų0.56(3) Ų y 0.32700.32700.32700.250.25 z 0.69260.69260.69260.89920.8992 g_{iso} 0.62(2) Ų1.20(2) Ų0.76(3) Ų0.41(3) Ų0.56(3) Ų y z z z z z z z <td< td=""><td>B_{iso}</td><td>$0.62(2) \text{ Å}^2$</td><td>$1.20(2) \text{ Å}^2$</td><td>0.76(3) Å²</td><td>0.41(3) Å²</td><td>0.56(3) Å²</td></td<>	B_{iso}	$0.62(2) \text{ Å}^2$	$1.20(2) \text{ Å}^2$	0.76(3) Å ²	0.41(3) Å ²	0.56(3) Å ²
Wyckoff8b8b8b4c4c x 0.98610.98610.98610.311070.31107 y 0.36670.36670.36670.878 920.878 92 z 0.20250.20250.20250.181 490.181 49 B_{iso} 0.62(2) Ų1.20(2) Ų0.76(3) Ų0.41(3) Ų0.56(3) ŲSi1 </td <td>Nd3, Gd3</td> <td></td> <td></td> <td></td> <td></td> <td></td>	Nd3, Gd3					
x0.98610.98610.98610.311070.31107y0.36670.36670.36670.878 920.878 92z0.20250.20250.20250.181 490.181 49Biso0.62(2) Ų1.20(2) Ų0.76(3) Ų0.41(3) Ų0.56(3) ŲSi190.5290.05290.25070.25070.2507y0.28100.28100.28100.250.2570.257y0.28100.80700.80700.37780.3778Biso0.62(2) Ų1.20(2) Ų0.76(3) Ų0.41(3) Ų0.56(3) Ųy0.28100.28100.2510.250.257z0.80700.80700.37780.37780.3778Biso0.62(2) Ų1.20(2) Ų0.76(3) Ų0.41(3) Ų0.56(3) ŲSi290.32700.32700.2550.25y0.32700.32700.32700.250.25z0.69260.69260.69260.89920.8992si391.20(2) Ų1.20(2) Ų0.76(3) Ų0.41(3) Ų0.56(3) Ųy0.32700.32700.32700.250.250.25z0.69260.69260.69260.89920.89920.8992si390.13650.1365y0.95920.9592z0.47560.4756y- <td< td=""><td>Wyckoff</td><td>8b</td><td>8b</td><td>8b</td><td>4c</td><td>4c</td></td<>	Wyckoff	8b	8b	8b	4c	4c
y 0.3667 0.3667 0.3667 $0.878 92$ $0.878 92$ z 0.2025 0.2025 0.2025 $0.181 49$ $0.181 49$ B_{iso} $0.62(2)$ $Å^2$ $1.20(2)$ $Å^2$ $0.76(3)$ $Å^2$ $0.41(3)$ $Å^2$ $0.56(3)$ $Å^2$ Si1Wyckoff8b8b8b8d8d8dx 0.0529 0.0529 0.0529 0.2507 0.2507 y 0.2810 0.2810 0.2810 0.25 0.25 z 0.8070 0.8070 0.8070 0.3778 0.3778 B_{iso} $0.62(2)$ $Å^2$ $1.20(2)$ $Å^2$ $0.76(3)$ $Å^2$ $0.41(3)$ $Myckoff$ 8b8b8b8b4c4cx $0.62(2)$ $Å^2$ $1.20(2)$ $Å^2$ $0.76(3)$ $Å^2$ 0.2507 y 0.2810 0.2810 0.2810 0.255 0.257 0.257 z 0.8070 0.8070 0.8070 0.3778 0.3778 0.3778 Biso $0.62(2)$ $Å^2$ $1.20(2)$ $Å^2$ $0.76(3)$ $Å^2$ $0.41(3)$ $Å^2$ y 0.3270 0.3270 0.3270 0.257 0.255 0.25 z 0.6926 0.6926 0.6926 0.8992 0.8992 giao $0.62(2)$ A^2 $1.20(2)$ A^2 $0.76(3)$ A^2 y $0.56(3)$ A^2 $0.56(3)$ A^2 $0.56(3)$ A^2 y	x	0.9861	0.9861	0.9861	0.311 07	0.311 07
z 0.20250.20250.20250.181 490.181 49 B_{iso} 0.62(2) Ų1.20(2) Ų0.76(3) Ų0.41(3) Ų0.56(3) ŲSilSilWyckoff8b8b8b8d8dx0.05290.05290.05290.25070.2507y0.28100.28100.28100.2750.25z0.80700.80700.80700.37780.3778 B_{iso} 0.62(2) Ų1.20(2) Ų0.76(3) Ų0.41(3) Ų0.56(3) ŲWyckoff8b8b8b4c4cx0.28260.28260.28260.98310.9831y0.32700.32700.32700.32700.250.25z0.69260.69260.69260.89920.89920.8992 B_{iso} 0.62(2) Ų1.20(2) Ų0.76(3) Ų0.41(3) Ų0.56(3) Ųy $ -$ 4c4cx $ -$ Wyckoff $ 0.9592$ 0.9592 B_{iso} $0.62(2) Ų$ $1.20(2) Ų$ $0.76(3) Ų$ $0.41(3) Ų$ $0.56(3) Ų$ $Wyckoff$ $ 0.9592$ 0.9592 z $ 0.4756$ 0.4756 B_{iso} $ 0.41(3) Ų$ $0.56(3) Ų$	у	0.3667	0.3667	0.3667	0.878 92	0.878 92
B_{iso} $0.62(2)$ $Å^2$ $1.20(2)$ $Å^2$ $0.76(3)$ $Å^2$ $0.41(3)$ $Å^2$ $0.56(3)$ $Å^2$ Si1Wyckoff8b8b8b8d8d8d x 0.0529 0.0529 0.0529 0.2507 0.2507 y 0.2810 0.2810 0.2810 0.25 0.257 z 0.8070 0.8070 0.8070 0.3778 0.3778 B_{iso} $0.62(2)$ $Å^2$ $1.20(2)$ $Å^2$ $0.76(3)$ $Å^2$ $0.41(3)$ $Myckoff$ 8b8b8b4c4c x 0.2826 0.2826 0.2826 0.9831 0.9831 y 0.3270 0.3270 0.3270 0.25 0.25 y 0.3270 0.3270 0.3270 0.25 0.25 z 0.6926 0.6926 0.6926 0.8992 0.8992 z 0.6926 0.6926 0.6926 0.8992 0.8992 z_{iso} $0.62(2)$ $Å^2$ $1.20(2)$ $Å^2$ $0.76(3)$ $Å^2$ $0.41(3)$ $Å^2$ y 0.3270 0.3270 0.3270 0.25 0.25 0.25 0.25 z 0.6926 0.6926 0.6926 0.8992 0.8992 0.8992 Si_3 $ 4c$ $4c$ x $ 0.1365$ 0.1365 y $ 0.9592$ $0.$	z.	0.2025	0.2025	0.2025	0.181 49	0.181 49
Si1Wyckoff8b8b8b8d8d x 0.05290.05290.05290.25070.2507 y 0.28100.28100.28100.250.25 z 0.80700.80700.80700.37780.3778 B_{iso} 0.62(2) Ų1.20(2) Ų0.76(3) Ų0.41(3) Ų0.66(3) ŲSi2 $Wyckoff$ 8b8b8b4c4c x 0.28260.28260.98310.98310.9831 y 0.32700.32700.32700.250.25 z 0.69260.69260.69260.89920.8992 B_{iso} 0.62(2) Ų1.20(2) Ų0.76(3) Ų0.41(3) Ų0.56(3) Ų y 0.32700.32700.32700.250.25 z 0.69260.69260.69260.89920.8992 B_{iso} 0.62(2) Ų1.20(2) Ų0.76(3) Ų0.41(3) Ų0.56(3) Ų y $ -$ 0.13650.1365 y $ -$ 0.95920.9592 z $ -$ 0.95920.9592 z $ -$ 0.47560.4756 y $ -$ 0.41(3) Ų0.56(3) Ų	B_{iso}	0.62(2) Å ²	$1.20(2) \text{ Å}^2$	0.76(3) Å ²	$0.41(3) \text{ Å}^2$	0.56(3) Å ²
Wyckoff8b8b8b8d8d x 0.05290.05290.05290.25070.2507 y 0.28100.28100.28100.250.25 z 0.80700.80700.80700.37780.3778 B_{iso} 0.62(2) Å ² 1.20(2) Å ² 0.76(3) Å ² 0.41(3) Å ² 0.56(3) Å ² VigkoffNk0.28260.28260.98310.98310.32700.32700.32700.250.25z0.69260.69260.69260.89920.8992Vigkoff4c4cVigkoff4c4c x 0.62(2) Å ² 1.20(2) Å ² 0.76(3) Å ² 0.41(3) Å ² 0.56(3) Å ² Vigkoff4c4cX0.41(3) Å ² 0.56(3) Å ² Si3<	Sil					
x0.05290.05290.05290.25070.2507y0.28100.28100.28100.250.25z0.80700.80700.80700.37780.3778Biso0.62(2) Ų1.20(2) Ų0.76(3) Ų0.41(3) Ų0.56(3) ŲSi2VyckoffWyckoff8b8b8b4c4cx0.28260.28260.28260.98310.9831y0.32700.32700.32700.250.25z0.69260.69260.69260.89920.8992Biso0.62(2) Ų1.20(2) Ų0.76(3) Ų0.41(3) Ų0.56(3) ŲWyckoff4c4cx0.13650.1365y0.95920.9592z0.47560.4756biso0.41(3) Ų0.56(3) Ų	Wyckoff	8b	8b	8b	8d	8d
y0.28100.28100.28100.28100.250.25z0.80700.80700.80700.37780.3778 B_{iso} 0.62(2) Ų1.20(2) Ų0.76(3) Ų0.41(3) Ų0.56(3) ŲSi2VyckoffWyckoff8b8b8b4c4cx0.28260.28260.28260.98310.9831y0.32700.32700.32700.250.25z0.69260.69260.69260.89920.8992Biso0.62(2) Ų1.20(2) Ų0.76(3) Ų0.41(3) Ų0.56(3) ŲWyckoff4c4cx0.13650.1365y0.95920.9592z0.47560.4756biso0.41(3) Ų0.56(3) Ų	x	0.0529	0.0529	0.0529	0.2507	0.2507
z0.80700.80700.80700.37780.3778 B_{iso} 0.62(2) Ų1.20(2) Ų0.76(3) Ų0.41(3) Ų0.56(3) ŲSi2Si2Wyckoff8b8b8b4c4cx0.28260.28260.28260.98310.9831y0.32700.32700.32700.32700.250.25z0.69260.69260.69260.69260.89920.8992Biso0.62(2) Ų1.20(2) Ų0.76(3) Ų0.41(3) Ų0.56(3) ŲWyckoff4c4cx0.13650.1365y0.47560.4756 g_{iso} 0.41(3) Ų0.56(3) Ų	y	0.2810	0.2810	0.2810	0.25	0.25
B_{iso} 0.62(2) Ų1.20(2) Ų0.76(3) Ų0.41(3) Ų0.56(3) ŲSi2Wyckoff8b8b8b4c4cx0.28260.28260.28260.98310.9831y0.32700.32700.32700.250.25z0.69260.69260.69260.89920.8992 B_{iso} 0.62(2) Ų1.20(2) Ų0.76(3) Ų0.41(3) Ų0.56(3) ŲWyckoff4c4cx0.13650.1365y0.95920.9592z0.47560.4756 B_{iso} 0.41(3) Ų0.56(3) Ų	z.	0.8070	0.8070	0.8070	0.3778	0.3778
Si2Wyckoff8b8b8b4c4c x 0.28260.28260.28260.98310.9831 y 0.32700.32700.32700.250.25 z 0.69260.69260.69260.89920.8992 B_{iso} 0.62(2) Å ² 1.20(2) Å ² 0.76(3) Å ² 0.41(3) Å ² 0.56(3) Å ² Wyckoff $ -$ 4c4c x $ -$ 0.13650.1365 y $ -$ 0.95920.9592 z $ -$ 0.47560.4756 B_{iso} $ -$ 0.41(3) Å ² 0.56(3) Å ²	B_{iso}	$0.62(2) \text{ Å}^2$	1.20(2) Å ²	0.76(3) Å ²	0.41(3) Å ²	0.56(3) Å ²
Wyckoff8b8b4c4c x 0.28260.28260.98310.9831 y 0.32700.32700.32700.250.25 z 0.69260.69260.69260.89920.8992 B_{iso} 0.62(2) Å ² 1.20(2) Å ² 0.76(3) Å ² 0.41(3) Å ² 0.56(3) Å ² Wyckoff $ -$ 4c4c x $ -$ 0.13650.1365 y $ -$ 0.95920.9592 z $ -$ 0.47560.4756 B_{iso} $ -$ 0.41(3) Å ² 0.56(3) Å ²	Si2					
x0.28260.28260.28260.98310.9831y0.32700.32700.32700.250.25z0.69260.69260.69260.89920.8992Biso0.62(2) Ų1.20(2) Ų0.76(3) Ų0.41(3) Ų0.56(3) ŲWyckoff4c4cx0.13650.1365y0.47560.4756z0.41(3) Ų0.56(3) Ų	Wyckoff	8b	8b	8b	4c	4c
y 0.3270 0.3270 0.3270 0.25 0.25 z 0.6926 0.6926 0.6926 0.8992 0.8992 B _{iso} $0.62(2)$ Å ² $1.20(2)$ Å ² $0.76(3)$ Å ² $0.41(3)$ Å ² $0.56(3)$ Å ² Wyckoff4c4cx0.13650.1365y0.95920.9592z0.47560.4756B _{iso} 0.41(3) Å ² 0.56(3) Å ²	x	0.2826	0.2826	0.2826	0.9831	0.9831
z0.69260.69260.69260.89920.8992 B_{iso} 0.62(2) Ų1.20(2) Ų0.76(3) Ų0.41(3) Ų0.56(3) ŲWyckoff4c4cx0.13650.1365y0.95920.9592z0.47560.4756 B_{iso} 0.41(3) Ų0.56(3) Ų	у	0.3270	0.3270	0.3270	0.25	0.25
B_{iso} 0.62(2) Å ² 1.20(2) Å ² 0.76(3) Å ² 0.41(3) Å ² 0.56(3) Å ² Wyckoff4c4c x 0.13650.1365 y 0.95920.9592 z 0.47560.4756 B_{iso} 0.41(3) Å ² 0.56(3) Å ²	z.	0.6926	0.6926	0.6926	0.8992	0.8992
Si34c4cWyckoff0.13650.1365y0.95920.9592z0.47560.4756 B_{iso} 0.41(3) Å ² 0.56(3) Å ²	Biso	0.62(2) Å ²	$1.20(2) \text{ Å}^2$	0.76(3) Å ²	0.41(3) Å ²	0.56(3) Å ²
Wyckoff4c4c x 0.13650.1365 y 0.95920.9592 z 0.47560.4756 B_{iso} 0.41(3) Å ² 0.56(3) Å ²	Si3					
x0.13650.1365y0.95920.9592z0.47560.4756 B_{150} 0.41(3) Å ² 0.56(3) Å ²	Wyckoff	_	_	_	4c	4c
y0.95920.9592z0.47560.4756 B_{iso} 0.41(3) Å ² 0.56(3) Å ²	x	_	-	_	0.1365	0.1365
z 0.4756 0.4756 B_{iso} 0.41(3) Å ² 0.56(3) Å ²	y	_	_	_	0.9592	0.9592
B_{iso} – – – $0.41(3) Å^2$ $0.56(3) Å^2$	z.	_	-	_	0.4756	0.4756
	Biso	_	_	_	0.41(3) Å ²	0.56(3) Å ²



Figure 3. (Color online) (a) Magnetic transition temperature (solid symbols) and unit cell volume (open symbols) of the majority phase of each compound as a function of Nd content. (b) The inverse of the average of the four smallest distances between two rare earth sites in the majority phases (open symbols) as a function of Nd content in comparison with the magnetic transition temperatures (solid symbols). The error bars are smaller than the symbols. Solid triangles and open circles are data from Pecharsky and Gschneidner (1997).

TABLE III. The four smallest interatomic distances between different rare earth sites of the majority phase of each compound. These values were obtained using the software Diamond (version 3.2k).

	R1-R2a (Å)	R1-R2b (Å)	R1-R3a (Å)	R1-R3b (Å)
Nd ₅ Si ₄	3.488	3.496	3.667	3.684
GdNd ₄ Si ₄	3.471	3.478	3.655	3.656
Gd2Nd3Si4	3.454	3.460	3.631	3.642
Gd ₃ Nd ₂ Si ₄	3.536	3.592	3.469	3.475
Gd ₄ NdSi ₄	3.522	3.577	3.455	3.461

also very important. A similar assumption was done, for instance, in relation to compounds of the series $Nd_5Si_{4-y}Ge_y$ (Yang *et al.*, 2003). It is important to notice that the difference between the average distance of the third and fourth neighbors and the average distance of the first and second neighbors is smaller in the orthorhombic phase (~0.09 Å), by a factor of 2, comparing with the tetragonal phase (~0.18 Å).

IV. CONCLUSION

In summary, we have demonstrated the efficiency of the XRD1 beamline to perform satisfactory X-ray powder

diffraction on high-absorption materials, even not in optimal conditions. Applying the methodology of measuring the samples powder of compounds of the series (Gd, Nd)₅Si₄ outside the capillaries in Debye–Scherrer geometry at the XRD1, we have shown the results are satisfactory and reproducible using capillaries with different diameters (at least from 0.3 to 0.7 mm). Our analyses show that there is not a direct and simple correlation between the unit cell volume of the majority phases of the compounds and their magnetic transition temperatures. The results indicate that the behavior of the magnetic transition temperature as a function of Nd content may be directly related to the average of the four smallest interatomic distances between different rare earth sites of the majority phase.

ACKNOWLEDGEMENTS

The authors thank Dr. Cristiane B. Rodella, Henrique Canova, Adalberto Fontoura, and Douglas Araújo for the previous and present efforts at the XRD1 beamline and Ana T. G. Mendes for arc-melting the samples. The authors also thank FAPESP (project number 2012/03480-0), CNPq, and LNLS.

- Bergamaschi, A., Cervellino, A., Dinapoli, R., Gozzo, F., Henrich, B., Johnson, I., Kraft, P., Mozzanica, A., Schmitt, B., and Shi, X. (2010). "The MYTHEN detector for X-ray powder diffraction experiments at the Swiss Light Source," J. Synchrotron Rad. 17, 653–668.
- Bruker: TOPAS Software (2015). https://www.bruker.com/products/x-raydiffraction-and-elemental-analysis/x-ray-diffraction/xrd-software/overview/ topas.html.
- Canova, H., Fontoura, A., Neuenschwander, R. T., Diaz, B., and Rodella, C. B. (2014). "Upgrades to the XRD1 beamline optics and endstation at the LNLS," J. Phys. Conf. Ser. 493, 012004.
- Pecharsky, V. K. and Gschneidner, K. A. Jr. (1997). "Phase relationships and crystallography in the pseudobinary system Gd₅Si₄-Gd₅Ge₄," J. Alloys Compd. 260, 98–106.
- Pecharsky, V. K. and Zavalij, P. Y. (2005). Fundamentals of Powder Diffraction and Structural Characterization of Materials (Springer, New York), 2nd ed., p. 309.
- Rietveld, H. M. (1969). "A profile refinement method for nuclear and magnetic structures," J. Appl. Cryst. 2, 65–71.
- Roger, J., Babizhetskyy, V., Jardin, R., Halet, J.-F., and Guérin, R. (2006). "Solid state phase equilibria in the ternary Nd–Si–B system at 1270 K," J. Alloys Compd. 415, 73–84.
- Tang, C. C., Thompson, S. P., Hill, T. P., Wilkin, G. R., and Wagner, U. W. (2007). "Design of powder diffraction beamline (BL-I11) at Diamond," Z. Kristallogr. Suppl. 26, 153–158.
- Thompson, S. P., Parker, J. E., Marchal, J., Potter, J., Birt, A., Yuan, F., Fearn, R. D., Lennie, A. R., Streeta, S. R., and Tang, C. C. (2011). "Fast X-ray powder diffraction on I11 at Diamond," J. Synchrotron Rad. 18, 637–648.
- XTMS Experimental Station. (2015). http://lnnano.cnpem.br/laboratories/ cpm/facilities/xtms/
- Yang, H. F., Rao, G. H., Chu, W. G., Liu, G. Y., Ouyang, Z. W., and Liang, J. K. (2002). "The crystal structure of La₅Si₄ and Nd₅Si₄," J. Alloys Compd. 334, 131–134.
- Yang, H. F., Rao, G. H., Liu, G. Y., Ouyang, Z. W., Liu, W. F., Feng, X. M., Chu, W. G., and Liang, J. K. (2003). "Structure dependence of magnetic properties of Nd₅Si_{4-x}Ge_x (x = 1.2 and 2)," Physica B 325, 293–299.